



Intercomparison of the N.H. winter mid-latitude atmospheric variability of the IPCC GCMs

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Some issues regarding the theory of the General Atmospheric Circulation

- The stability properties of the time mean state do not provide any approximation of the dynamical properties of the full nonlinear system
 - Impossibility of creating a self-consistent theory of the time-mean circulation relying only on the time-mean fields, since the parameterized eddy fluxes cannot provide a closure to the equations.
- Impossibility of using straightforwardly the fluctuation-dissipation theorem, since ergodicity is only restricted to the attractor, and the externally induced fluctuations move the system out of the attractor with probability 1 (Gallavotti/Cohen)
 - Impossibility of parameterizing exactly a Climate Change theory, due to the non-equivalence between the external and internal fluctuations.
- In the limit of infinite resolution for any numerical model of fluid flow, the numerical convergence to the statistical properties of the continuum real fluid flow dynamics is not guaranteed

- The mid-latitude winter atmosphere is a key ingredient of the climate dynamics: it vehiculates the northward transport of heat via baroclinic disturbances.
- GCMs able to simulate correctly the mid-latitude atmosphere are needed both for paleoclimatic simulations and climate projections.
- Diagnostic studies performed on NWP models showed overestimation of baroclinic short waves and underestimation of planetary waves (Tibaldi, 1986).
- What happens under Global Warming Scenarios?

Climate Models Auditing

- Auditing = Intercomparison + Verification = Assessment of Self-Consistency + of Realism
- How to compare climate models? It may be like comparing a Ferrari to a Fiat 500! How to assess a model performance? Which model is the best one? Does “the best one” exist?
 - We do not know the truth ... and we have only imperfect models!
- We want to define simple metrics for models intercomparison:
 - The total wave variability is taken as a **global scalar metrics** describing the overall performance of model
 - The total variability pertaining to the eastward propagating baroclinic waves and to the stationary planetary waves are taken as a **process-oriented scalar metrics**
 - Does it make sense to make model ensembles?

Data and Methods

- Daily data range from 1/1/1961 to 31/12/2000 (1/1/2018 to 31/12/2020 for SRESA1B scenario). We select the Z500hPa DJF (NH) data relative to the latitudinal belt 30°N-75°N, where the bulk of the baroclinic and of the low frequency waves activity is observed. Space-time decomposition will not distinguish between standing and travelling waves: a standing wave will give two spectral peaks corresponding to travelling waves moving eastward and westward. The problem can only be circumvented by making assumptions regarding the nature of the wave. We may assume complete coherence between the eastward and westward components of standing waves and attribute the incoherent part of the spectrum to real travelling waves, following the Fourier space-time decomposition introduced by Hayashi (1971,1979). Hayashi Spectra allow separation between travelling vs. standing waves of the 1D+1D field $Z(\lambda, t) = Z_0(t) + \sum_{k=1}^{\infty} \left\{ C_{k_j}(t) \cos(k_j \lambda) + S_{k_j}(t) \sin(k_j \lambda) \right\}$

\Rightarrow Fourier Space-Time analysis Z levels are not included in the PCMDI dataset
 \Rightarrow Geostrophic relation at 500hPa + Latitudinal averaging (10% of the signal is lost)

Total variance

$$H_T(k_j, \omega_m) = \frac{1}{2} \left(P(C_{k_j}) + P(S_{k_j}) \right)$$

$$H_P(k_j, \omega_m) = Q(k_j, \omega_m) \Rightarrow H_S(k_j, \omega_m) = H_T(k_j, \omega_m) - H_P(k_j, \omega_m)$$

$$\text{Standing waves}$$

$$H_E(k_j, \omega_m) = \frac{1}{4} \left(P(C_{k_j}) + P(S_{k_j}) \right) + \frac{1}{2} Q_{\omega_m}(C_{k_j}, S_{k_j})$$

$$H_W(k_j, \omega_m) = \frac{1}{4} \left(P(C_{k_j}) + P(S_{k_j}) \right) - \frac{1}{2} Q_{\omega_m}(C_{k_j}, S_{k_j})$$

$$\text{Eastward waves}$$

$$H_E(k_j, \omega_m) = \frac{1}{N} \sum_{n=1}^N (E_a^n(\Omega) - \bar{E}_a(\Omega))^2$$

$$\text{Westward waves}$$

$$\sigma_{E_a}(\Omega) = \sqrt{\frac{1}{N-1} \sum_{n=1}^N (E_a^n(\Omega) - \bar{E}_a(\Omega))^2}$$

Model Metrics

$$\bar{E}_T(\Omega) = \sum_{n=1}^N E_a^n(\Omega) = \frac{1}{N} \sum_{n=1}^N \sum_{k,m \in \Omega} H_a^n(\Omega)$$

$$\sigma_{E_a}(\Omega) = \sqrt{\frac{1}{N-1} \sum_{n=1}^N (E_a^n(\Omega) - \bar{E}_a(\Omega))^2}$$

Global metrics

$$\bar{E}_T(\Omega)$$

$$\sigma_{E_T}(\Omega)$$

What is the total atmospheric wave activity and its variability?

$$\frac{\bar{E}_S(\Omega_{LEFW})}{\bar{E}_E(\Omega_{HFHW})} \sigma_{E_S(\Omega_{LEFW})} / \sqrt{N}$$

$$\frac{\bar{E}_S(\Omega_{HFHW})}{\bar{E}_E(\Omega_{HFHW})} \sigma_{E_E(\Omega_{HFHW})} / \sqrt{N}$$

How well do the models simulate specific processes?

$$j_1 = 2, j_2 = 4$$

$$j_1 = LFHW$$

$$j_2 = HFHW$$

$$\Omega = LFHW$$

$$\Omega = HFHW$$

